

S-2135

M. A./M. Sc. (Second Semester)

EXAMINATION, 2018

MATHEMATICS

Paper Fourth

(Graph Theory)

[MATH-C-010]

Time : Two Hours]

[Maximum Marks : 60

Note : Attempt any four questions. All questions carry equal marks.

1. Write short notes on any three of the following with examples :

- Binary Trees
- Spanning Trees
- Network Flows
- Rank and Nullity of Graphs
- Colouring of a Graph
- Chromatic partitioning

2. (a) Define Radius, Diameter and Centre in a tree T. Find the radius, diameter and centre of the following tree T.



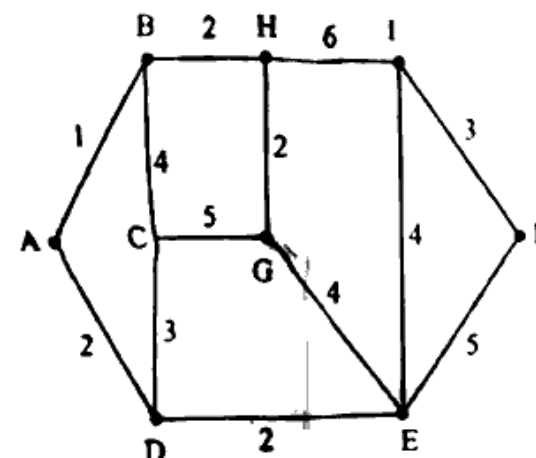
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(b) If a tree T has n_1 vertices of degree 1, 2 vertices of degree 2, 4 vertices of degree 3 and three vertices of degree 4, then find n_1 . Also draw the tree.

3. Explain weighted graph and weighted spanning tree of a graph G . Discuss Prim's algorithm to find minimal spanning tree T of G and obtain the minimal spanning tree T of the following graph G .

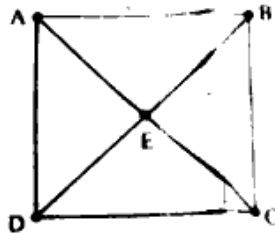


4. Explain Binary matrices associated with graphs. Discuss Adjacency matrix of a graph G . Find the Adjacency matrix of the following Graph G and deduce the observations based on the adjacency matrix.



Define chromatic polynomial.

5. (a) Find the chromatic polynomial of the following graph :

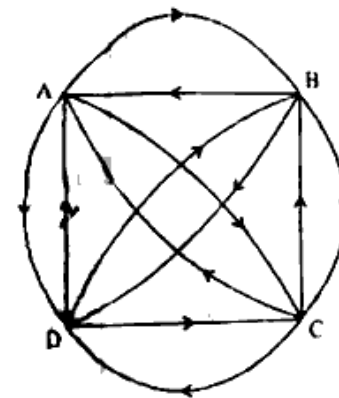


- (b) Discuss dual graphs and self-dual graphs. Also discuss geometric and combinational dual and observations based on dual graph with examples.
6. Define expression tree to polish notation :
- (a) Construct the tree for the following notations :
- (i) $(3x - 5)^4 / a(zb + c)^2$
- (ii) $(a - b + c \cdot d) \div (g^2 + fh + k)$
- (b) Explain preorder and inorder traversal of a binary tree. Draw the unique tree of the following :

Preorder	Inorder
r	q
b	h
q	c
a	a
c	g
p	p
d	e
e	d
r	r

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7. Express any two of the following with some suitable examples :
- (i) Cut set matrix of a graph
- (ii) Covering
- (iii) Directed path and connectedness
- (iv) Shortest path problem
8. (a) Explain weakly and strongly connected digraphs. Show that the following digraph is weakly connected or strongly connected.



- (b) A graph G has the following adjacency matrix. Check whether the following is connected or not :

$$X(G) = \begin{bmatrix} 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 1 \end{bmatrix}$$

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